



Geocoding

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Definitions

- geocoding
 - geometric transformation of an image into a cartographic map projection
- georeferencing
 - relating image coordinates to map coordinates by defining control points (usually image corners)
- geometric correction and image rectification are sometimes used synonymously
 - geocoding maybe part of geometric correction

Geocoding



Geocoding by co-registration

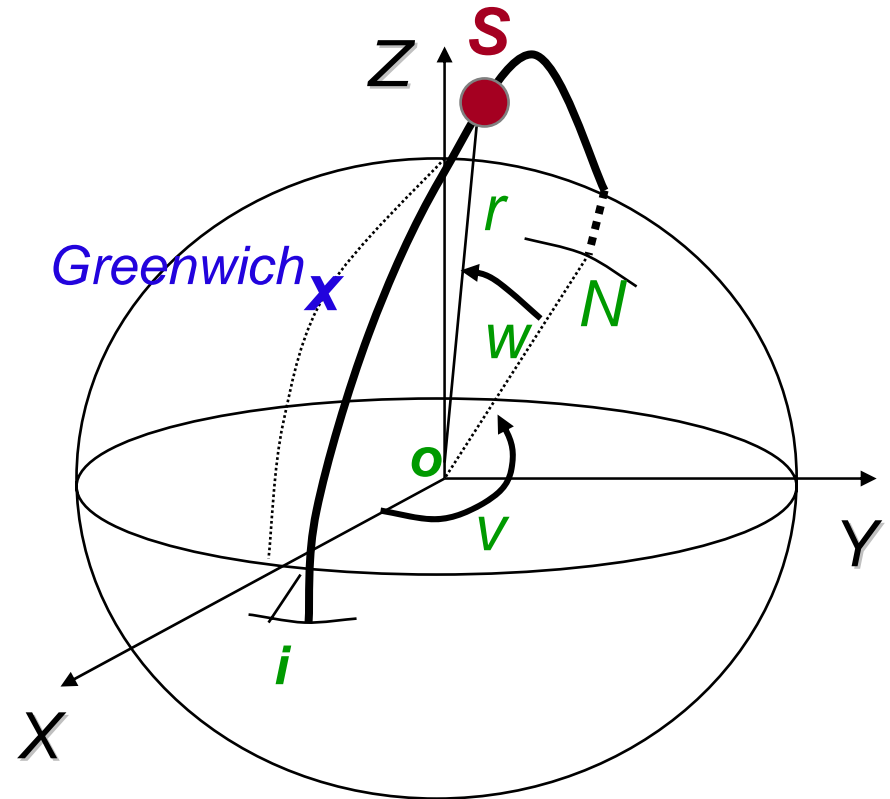
- image to image
 - reference needs to be map projected
- image to map
 - map in raster or vector format
 - map needs to have map coordinates
- image with measured ground control points
 - ground control points (GCPs) need to be identified in the image
 - GCPs need to be known in some map coordinate system

Geocoding



Sensor Geometric Model

- Sensor Model
 - sensor specific
 - analytical reconstruction of image formation using orbit and sensor **parameters**
 - corrects image globally
 - small number of ground control points to improve parameters
 - DEM



Geocoding



Examples for sensor model

- optical data
 - Landsat (level 1G)
 - MODIS (level 1B)
 - SPOT (level 2A and 2B)
- radar data
 - any beam mode

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Geocoding steps

- relation between image coordinates and geographic coordinates using image geometry
 - line / sample \rightarrow latitude / longitude
- conversion of geographic coordinates into map projected coordinates
 - latitude / longitude $\rightarrow x_{\text{map}} / y_{\text{map}}$
 - choice of map projection and datum

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Geocoding steps

- determination of a transformation function to map image coordinates into projection coordinates
 - usually quadratic, at times cubic
 - linear least squares polynomial fit
- resampling using mapping function
 - determination of pixel value in the map projected using one of the interpolation methods

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Resampling

- transformation of image coordinates into projection coordinates using a mapping function
 - usually determined as a polynomial fit
 - accounts for user defined output pixel size
- determination of the resulting pixel value using an interpolation method

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Interpolation artifacts

- ringing
 - arises because most good synthesis functions are oscillating
- aliasing
 - caused by discrete sampling below the Nyquist frequency (i.e. not enough samples to reconstruct the image sufficiently)
 - visual signatures of aliasing are moiré effects and the loss of texture

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Interpolation artifacts

- blocking
 - arises when the support of the interpolant is finite
 - synthesis functions with sharp transitions (e.g. nearest neighbor) exacerbate this effect
- blurring
 - mismatch between an intermediate data representation and their resampled version (data too coarse)

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Standard interpolation methods

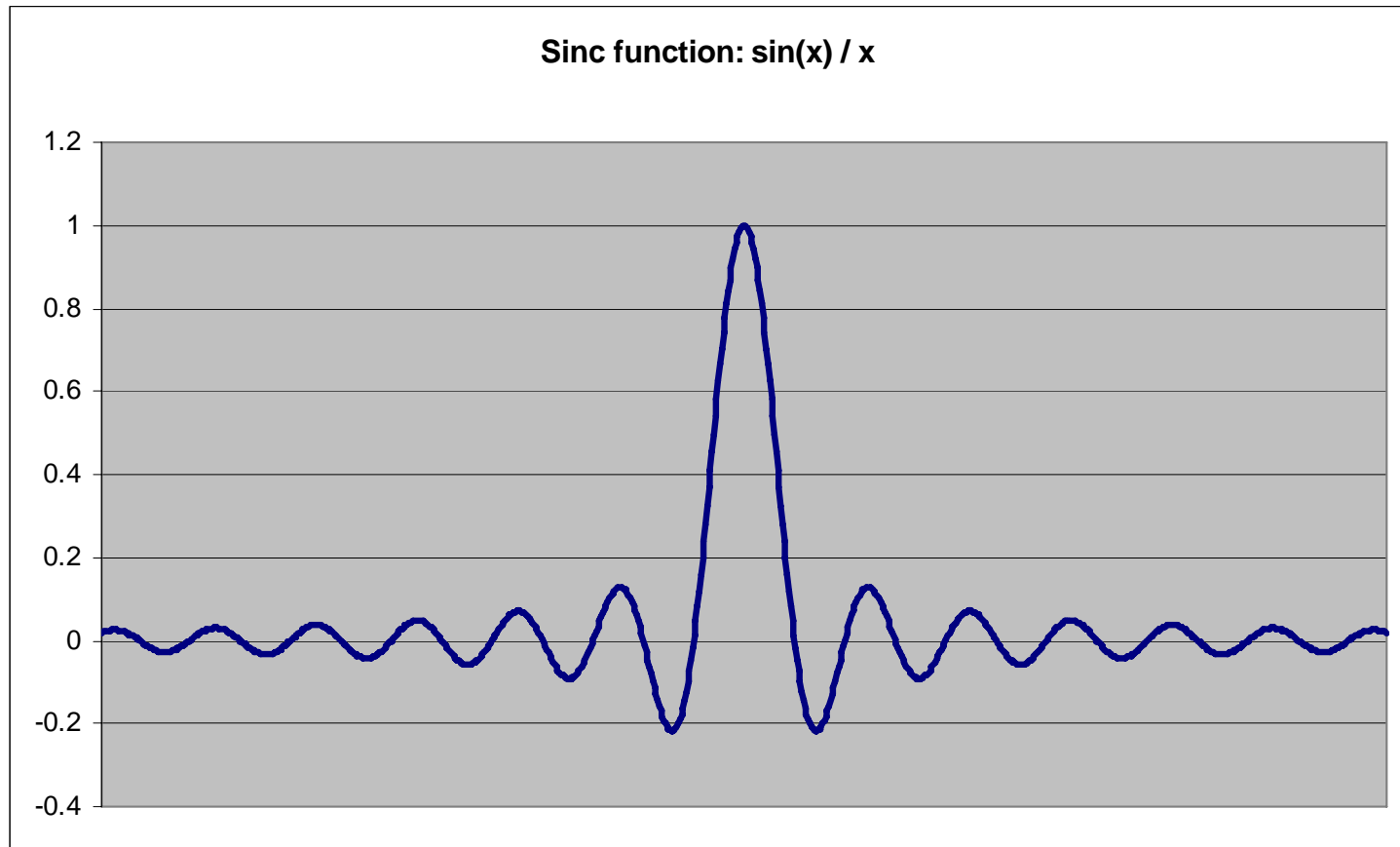
- Nearest neighbor interpolation
 - takes pixel value closest to calculated location
 - preserves original pixel values
- Bilinear interpolation
 - weighted average (2x2 kernel)
 - smoothing effect
- Cubic convolution
 - third degree polynomial fit (4x4 kernel)
 - essentially low-pass filter

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Interpolation using Sincs

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Interpolation using Sincs

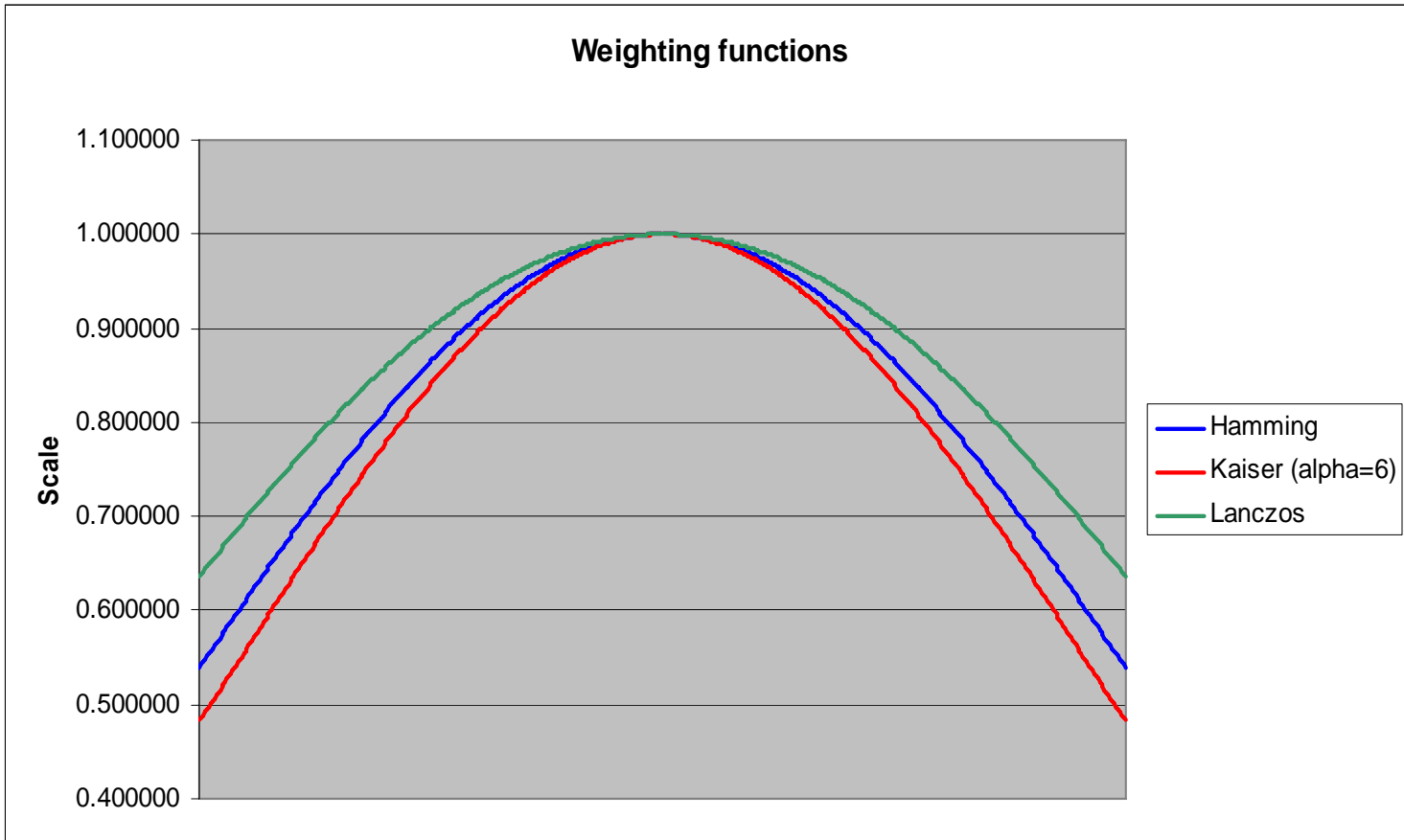
- theoretically ideal filter
 - provides error-free interpolation of the band-limited functions
- problem: no function can be at the same time band-limited and finite-support
- solution: truncation
- practical problem: slowest of the slowest as it requires large kernel sizes

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Weighting functions

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Weighting functions

- Hamming

$$\text{Hamming}(x, \tau, \alpha) = \begin{cases} \alpha + (1 - \alpha) \cos\left(\pi \frac{x}{\tau}\right) & \text{for } |x| < \tau \\ 0 & \text{else} \end{cases}$$

- α usually 0.54

- Kaiser

$$\text{Kaiser}(x, \tau, \alpha) = \begin{cases} \frac{I_0(\alpha \sqrt{1 - (x/\tau)^2})}{I_0(\alpha)} & \text{for } |x| \leq \tau \\ 0 & \text{else} \end{cases}$$

- where $I_0(x)$ is the zeroth order modified Bessel function

- Lanczos

$$\text{Lanczos}(x, \tau) = \begin{cases} \frac{\sin\left(\pi \frac{x}{\tau}\right)}{\pi \frac{x}{\tau}} & \text{for } |x| < \tau \\ 0 & \text{else} \end{cases}$$



Cubic B-Splines

- piecewise polynomial function of degree three
- very good approximation of sinc function
- generally as fast as cubic convolution

→ best bang for the buck

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Example: Original image

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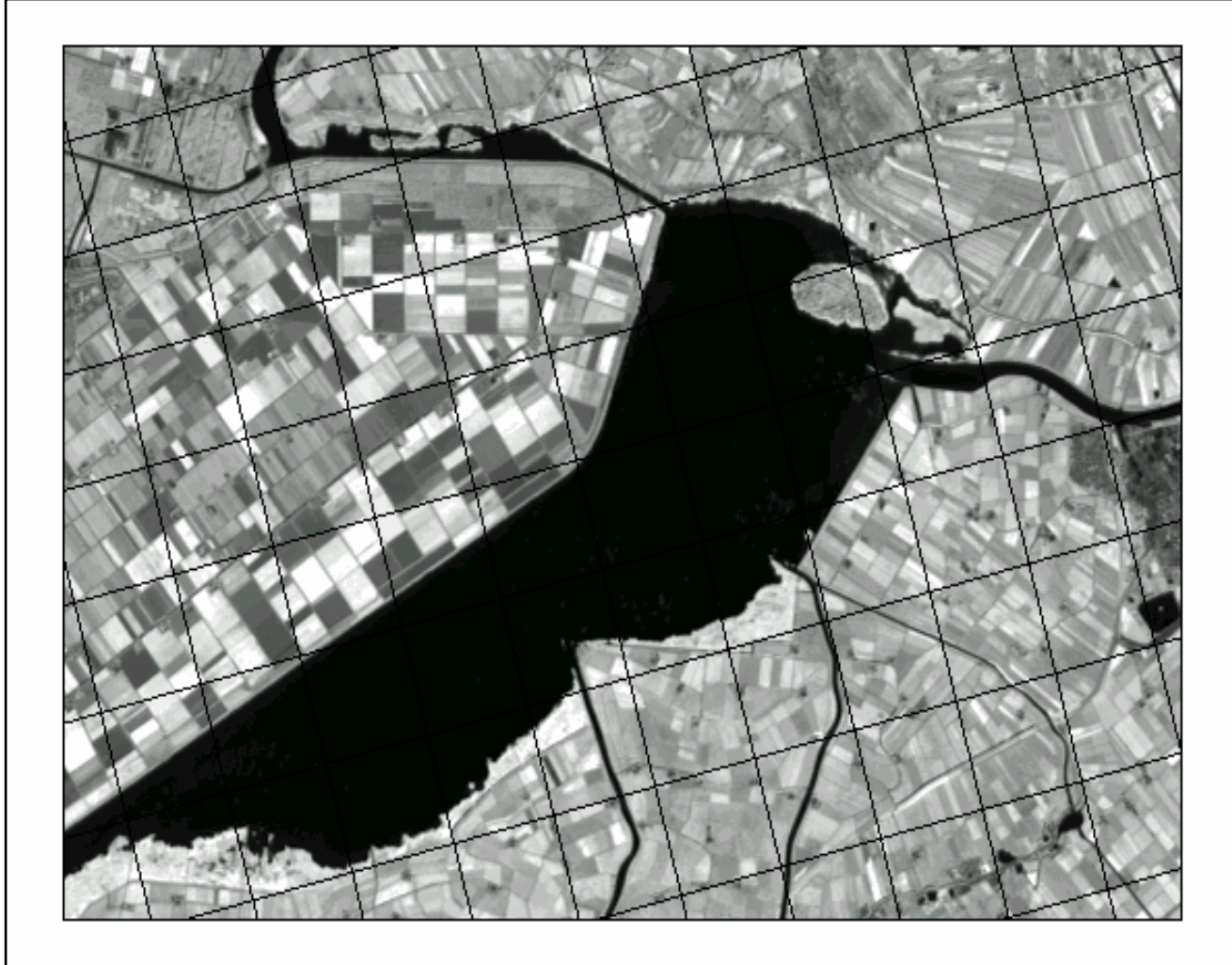


Source: ITC



Example: Transformed image

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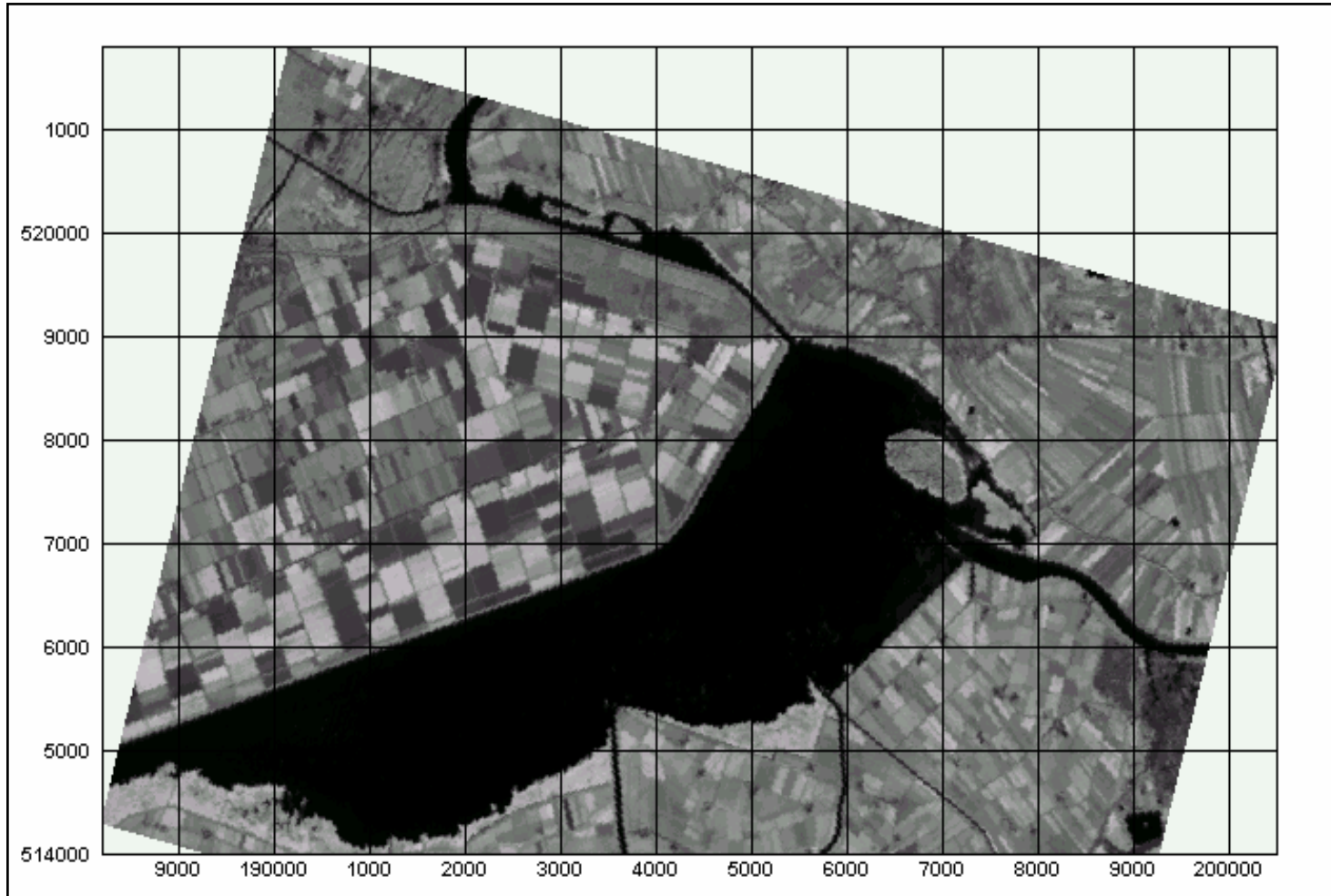
Source: ITC





Example: Geocoded image

Geocoding



Source: ITC





More background information

- image processing literature
 - medical imaging
 - astronomy
 - signal processing
- remote sensing data providers
 - product descriptions for the various satellite imagery

Geocoding



Summary

- geocoding SAR data usually using sensor model
 - ease of use
 - alternative methods cumbersome – requires identification of control points
- trade-off between accuracy and speed
- cubic B-splines method of choice for interpolation

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